Routing in Sensor Networks

Routing in Sensor Networks

- Large scale sensor networks will be deployed, and require richer inter-node communication
 - In-network storage (DCS, GHT, DIM, DIFS)
 - In-network processing
 - "Fireworks routing"
- Need point-to-point routing to scale
 - Many nodes
 - Many flows
 - Different densities

Design Goals

- 1. Simple minimum required state, assumptions
- 2. Scalable low control overhead, small routing tables
- 3. Robust node failure, wireless vagaries
- 4. Efficient low routing stretch

GPSR: Greedy Perimeter Stateless Routing for Wireless Networks

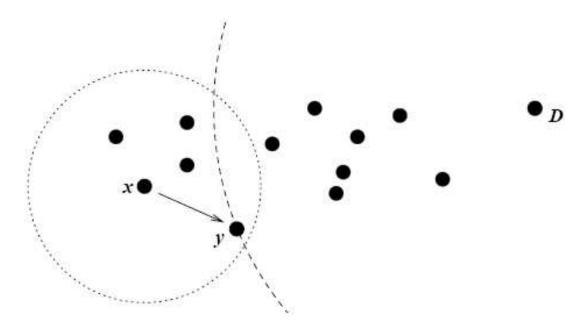
Brad Karp, H.T.Kung Harvard University

GPSR: Motivation

- Ad-hoc routing algorithms (DSR, AODV)
 - Suffer from out of date state
 - Hard to scale
- Use geographic information for routing
 - Assume every node knows position (x,y)
 - Keep a lot less state in the network
 - Require fewer update messages

GPSR Algorithm: Greedy Forwarding

- Each node knows the geographic location of its neighbors and destination
- Select the neighbor that is geographically closest to the destination as the next hop



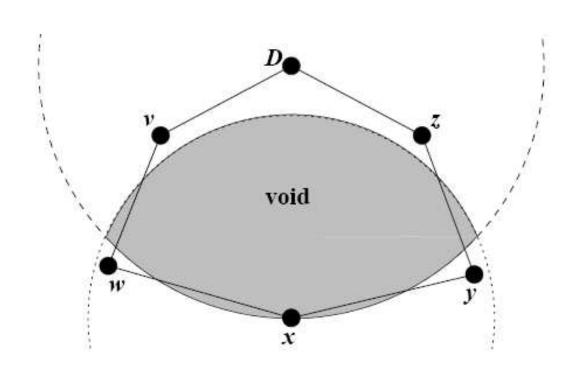
GPSR Algorithm : Greedy Forwarding (Cont.)

 Each node only needs to keep state for its neighbors

- Beaconing mechanism
 - Provides all nodes with neighbors' positions.
 - Beacon contains broadcast MAC and position.
 - To minimize costs: piggybacking

GPSR Algorithm: Greedy Forwarding (Cont.)

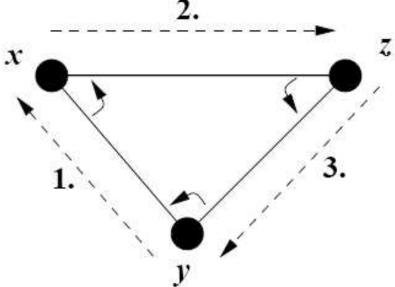
· Greedy forwarding does not always work!



Getting Around Void

The right hand rule

- When arriving at node x from node y, the next edge traversed is the next one sequentially counterclockwise about x from edge (x,y)
- Traverse the exterior region in counter-clockwise edge order



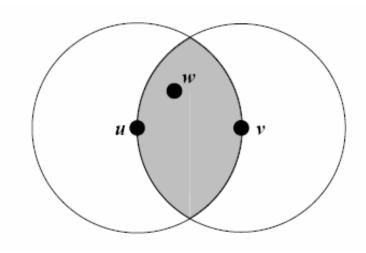
Planarized Graphs

- A graph in which no two edges cross is known as planar.
 - Relative Neighborhood Graph (RNG)
 - Gabriel Graph (GG)

Relative Neighborhood Graph

An edge (u, v) exists between vertices u and v if the distance between them, d(u, v), is less than or equal to the distance between every *other* vertex w, and whichever of u and v is farther from w. In equational form:

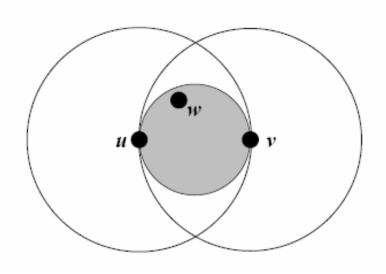
$$\forall w \neq u, v : d(u, v) \leq \max[d(u, w), d(v, w)]$$



Gabriel Graph

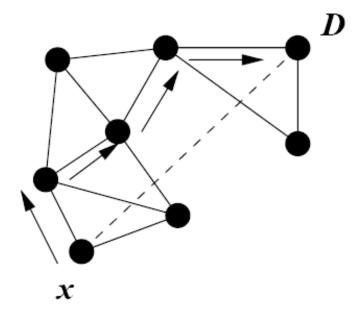
An edge (u, v) exists between vertices u and v if no other vertex w is present within the circle whose diameter is \overline{uv} . In equational form:

$$\forall w \neq u, v : d^2(u, v) < [d^2(u, w) + d^2(v, w)]$$



Final Algorithm

- · Combine greedy forwarding + perimeter routing
 - Use greedy forwarding whenever possible
 - Resort to perimeter routing when greedy forwarding fails and record current location Lc
 - Resume greedy forwarding when we are closer to destination than Lc

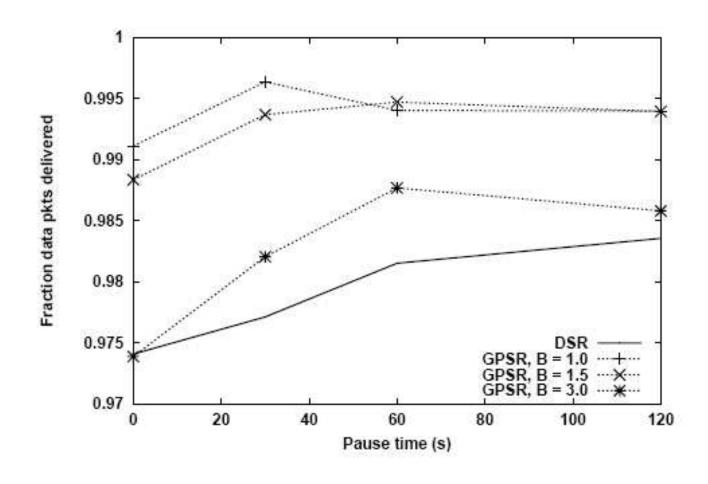


Protocol Implementation

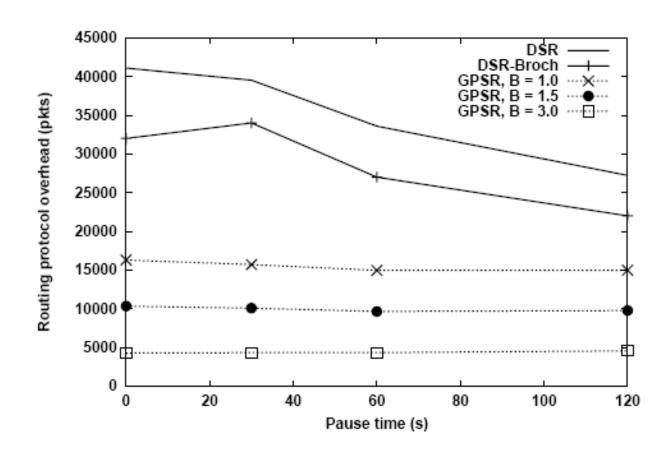
- Support for MAC-layer feedback
- Interface queue traversal
- · Promiscuous use of the network interface
- Planarization of the graph

- 50, 112, and 200 nodes with 802.11
 WaveLAN radios.
- Maximum velocity of 20 m/s
- 30 CBR traffic flows, originated by 22 sending nodes
- Each CBR flows at 2Kbps, and uses 64byte packets

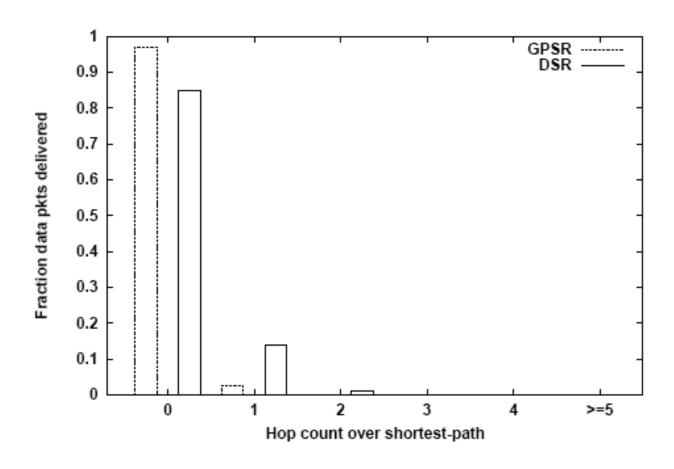
Packet Delivery Success Rate



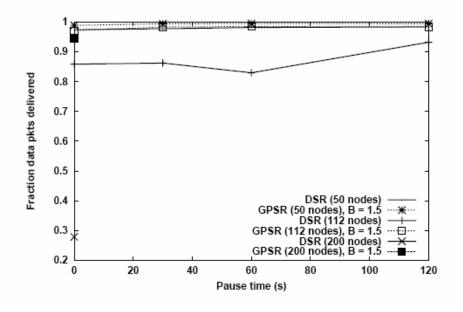
Routing Protocol Overhead

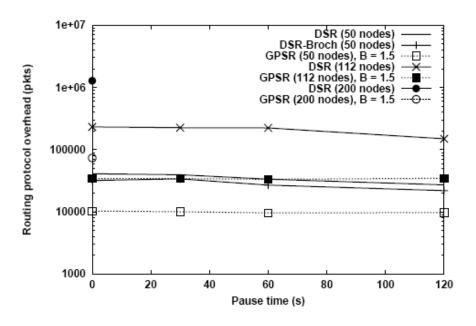


Path Length



· Effect of Network Diameter





- State per Router for 200-node
 - GPSR node stores state for 26 nodes on average in pause time-0
 - DSR nodes store state for 266 nodes on average in pause time-0

Pros and Cons

· Pros:

- Low routing state and control traffic → scalable
- Handles mobility

· Cons:

- GPS location system might not be available everywhere.
- Geographic distance does not correlate well with network proximity.
- Overhead in location registration and lookup
- Planarized graph is hard to guarantee under mobility

Beacon Vector Routing Scalable Point-to-point Routing in Wireless Sensor Networks

R. Fonseca, S. Ratnasamy, D. Culler, S. Shenker, I. Stoica

UC Berkeley

Beacon Vector Routing

- Solution: fake geography
 - Create a routing gradient from connectivity information rather than geography
 - Nodes assigned positions based based on connectivity
 - Greedy forwarding on this space

Beacon-Vector: Algorithm

- · 3 pieces
 - Deriving positions
 - Forwarding rules
 - Lookup: mapping node IDs → positions

Beacon-Vector: deriving positions

- 1. r beacon nodes $(B_0, B_1, ..., B_r)$ flood the network; a node q's position, P(q), is its distance in hops to each beacon $P(q) = (B_1(q), B_2(q), ..., B_r(q))$
- 2. Node p advertises its coordinates using the k closest beacons (we call this set of beacons C(k,p))
- 3. Nodes know their own and neighbors' positions
- 4. Nodes also know how to get to each beacon

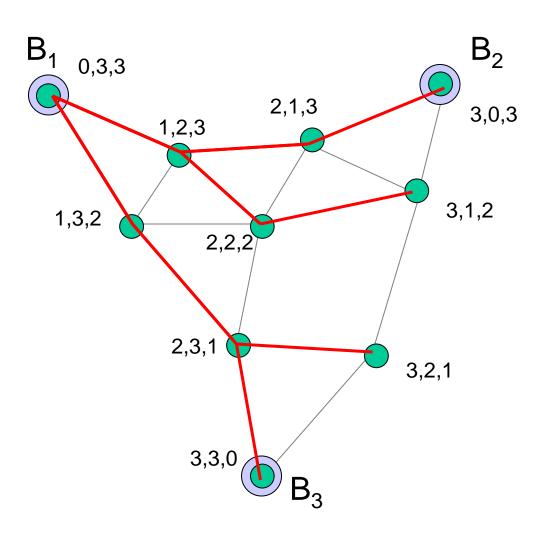
Beacon-Vector: forwarding

1. Define the distance between two nodes P and Q as

$$\operatorname{dist}_{k}(p,q) = \sum_{i \in C(k,q)} \omega_{i} |B_{i}(p) - B_{i}(q)|$$

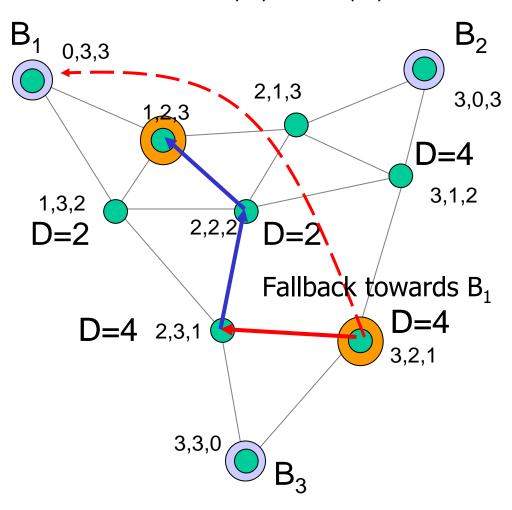
- 2. To reach destination Q, choose neighbor to reduce $dist_k(*,Q)$
- 3. If no neighbor improves, enter Fallback mode: route towards the beacon which is closer to the destination
- 4. If Fallback fails, and you reach the beacon, do a scoped flood

Simple example



Simple example

Route from 3,2,1 to 1,2,3



Evaluation - Simulation

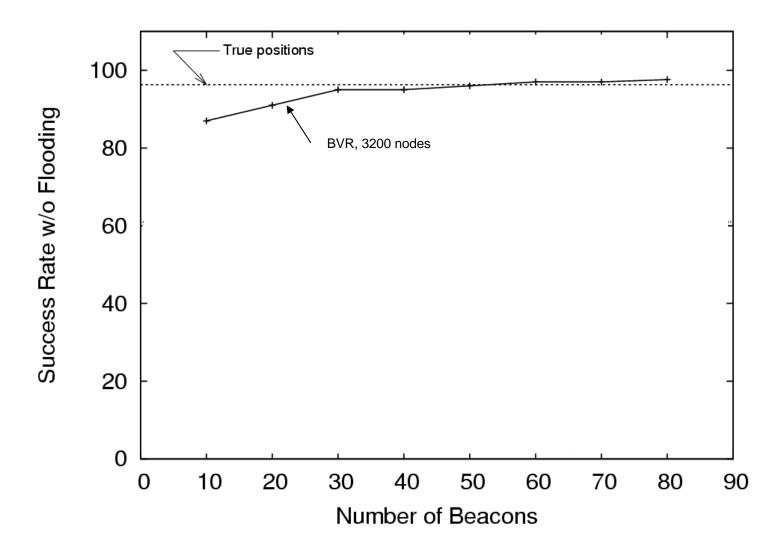
- Packet level simulator in C++
- Simple radio model
 - Circular radius, "boolean connectivity"
 - No loss, no contention
- · Larger scale, isolate algorithmic issues

Evaluation - Implementation

- Real implementation and testing in TinyOS on mica2dot Berkeley motes
- 4KB of RAM!
 - Judicious use of memory for neighbor tables, network buffers, etc
- Low power radios
 - Changing and imperfect connectivity
 - Asymmetric links
 - Low correlation with distance
- Two testbeds
 - Intel Research Berkeley, 23 motes
 - Soda Hall, UCB, 42 motes

Simulation Results

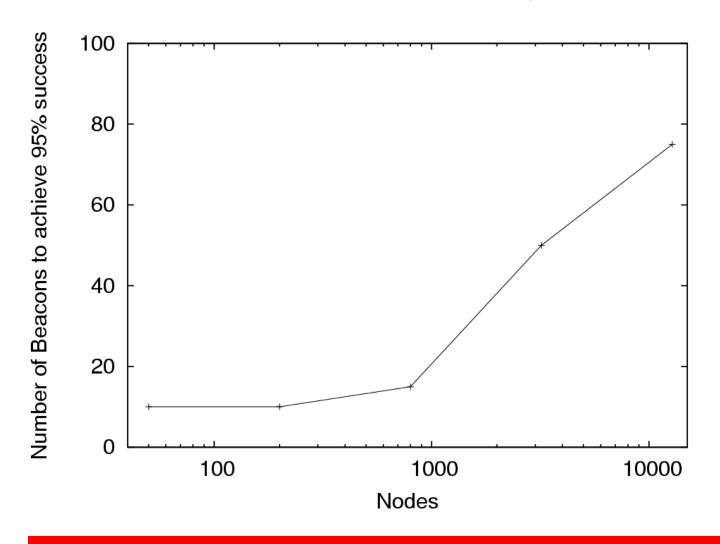
Effect of the number of beacons



Can achieve performance comparable to that using true positions

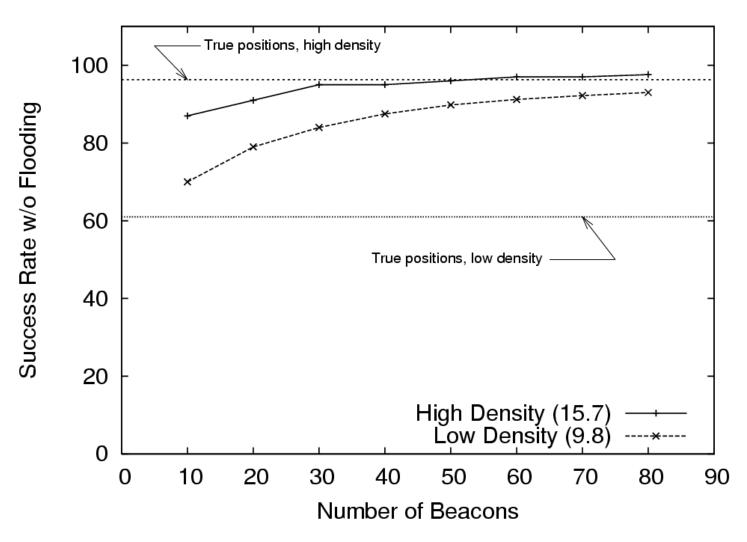
Scaling the number of nodes

Number of beacons needed to sustain 95% performance



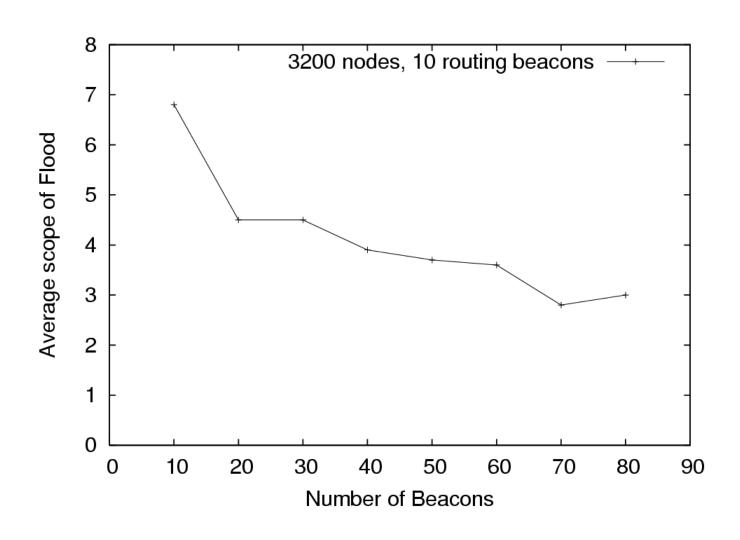
Beaconing overhead grows slowly with network size (less than 2% of nodes for larger networks)

Effect of Density



Great benefit for deriving coordinates from connectivity, rather than positions

Scope of floods



Other results from simulation

- Average stretch was consistently low
 - Less than 1.1 in all tests
- Performance with obstacles
 - Modeled as walls in the network 'arena'
 - Robust to obstacles, differently from geographic forwarding

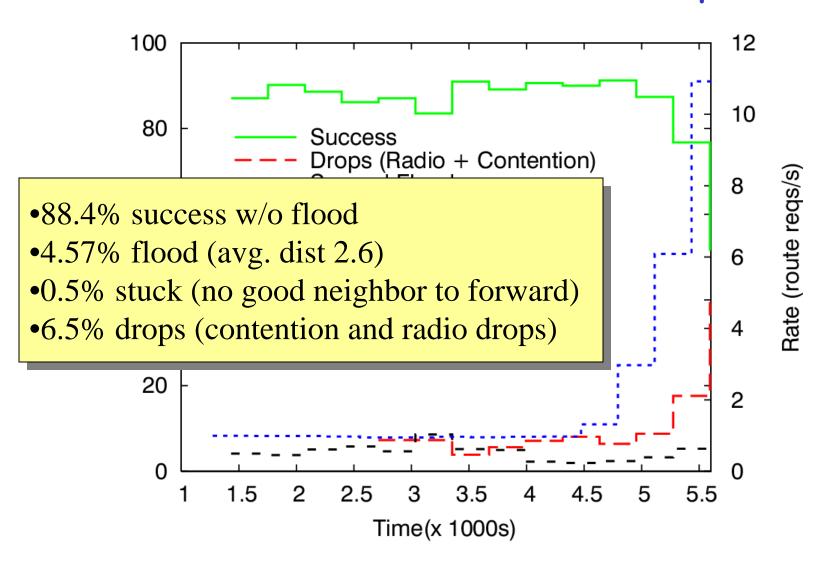
Simulation Results

- Performance similar to that of Geographic Routing (small fraction of floods)
- Small number of beacons needed (<2% of nodes for over 95% of success rate w/o flooding)
- Scope of floods is costly
- Resilient to low density and obstacles
- Low stretch

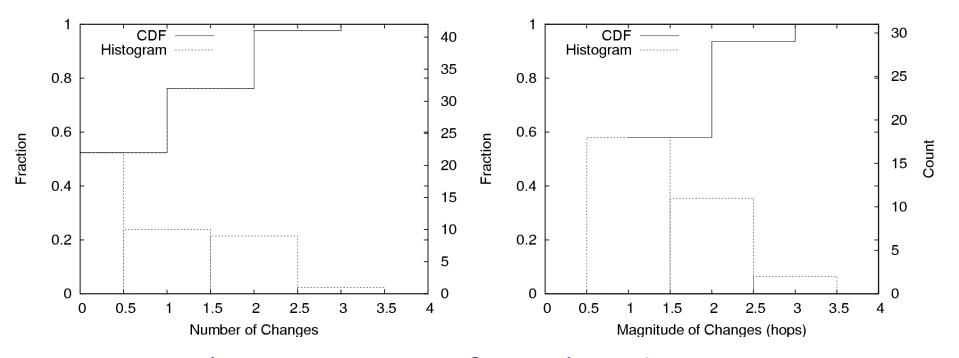
Implementation Results

Routing performance

· Soda Testbed, 3100+ random pairs



Coordinate stability



- Coordinates were found to be very stable
 - E.g., almost 80% of the nodes had 2 or fewer changes, and over 90% of the changes were smaller than 3 hops

Implementation Results

- Success rates and flood scopes agree with simulation
- Sustained high throughput (in comparison to the network capacity)
- · Coordinates were found to be stable
 - Few changes observed, small changes

Conclusions and Future Work

- BVR is simple, robust to node failures, scalable, and presents efficient routes
- Using connectivity for deriving routes is good for low density/obstacles
- The implementation results indicate that it can work in real settings
- We still need to
 - Better study how performance is linked to radio stability, and to high churn rates
 - Implement applications on top of BVR