### From Graphics to Visualization

Introduction
Light Sources
Surface Lighting Effects
Basic (Local ) Illumination Models
Polygon-Rendering Methods
Texture Mapping
Transparency and Blending
Visualization Pipeline





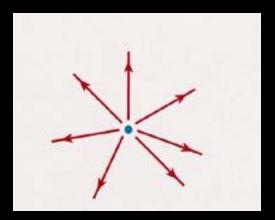
- Illumination Model (Lighting/Shading Model)
   Calculation of color on an illuminated position on the surface of an object
- Surface Rendering

A procedure for applying a lighting model to obtain pixels colors for all projected surface positions



## Light Sources

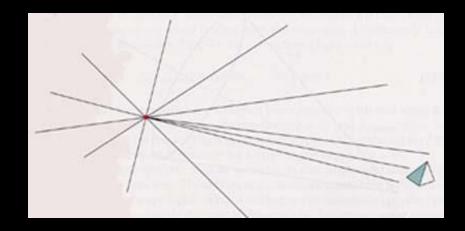
#### Point Source



Diverging ray paths from a point light source



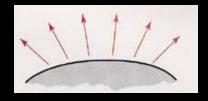
### Distributed Light Source



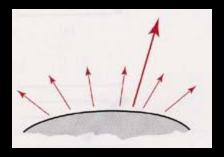
Light rays from an infinitely distant light source illuminate an object along nearly parallel light paths



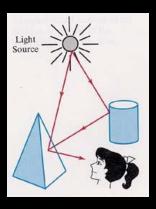
### **Surface Lighting Effects**



Diffuse reflections from a surface (dull/rough surface)



(shiny surface) Specular reflection superimposed on diffuse reflection vectors



(Global Illumination) Surface lighting effects are produced by a combination of illumination from light sources and reflection from other surfaces.



## Illumination Models

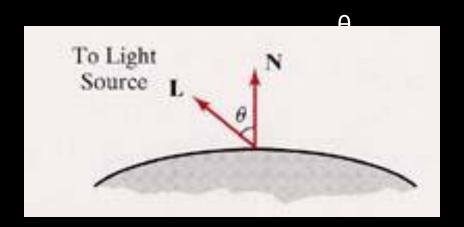
Rendering methods differ in approximating lighting effects

- Global illumination: ray tracing, accurate by computationally expensive
- Local illumination: relate the illumination of a given scene point directly to the light set, not to any other scene points



### 1) Ambient Light

### 2) Diffuse Reflection



Angle of incidence  $\theta$  between the unit light-source direction vector L and the unit normal vector N at a surface position.



### **Diffuse Reflection**

$$I_{I,diff} = K_d I_I \cos \theta$$
$$I_{I,diff} = K_d I_I (N \cdot L)$$

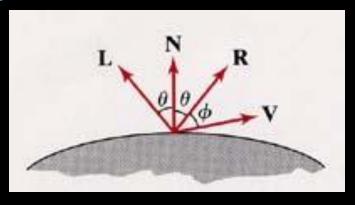
 $k_d$ : diffuse-reflection coefficient, or diffuse reflectivity.

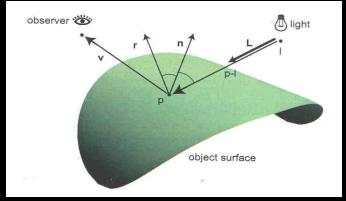
- Lambertian reflectors
- Lambert's cosine law
- Total Diffuse-reflection of a single point-source illumination

$$I_{diff} = \begin{cases} k_a I_a + k_d I_I (N \cdot L), & \text{if N} \cdot L > 0 \\ k_a I_a, & \text{if N} \cdot L \le 0 \end{cases}$$



#### 3) Specular Reflection and Phong Model





Specular reflection angle equals angle of incidence  $\theta$ 

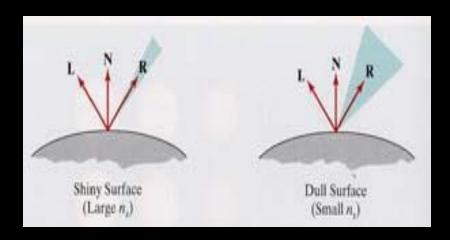
Phong Specular-Reflection Model (Phong Model)

$$I_{l,spec} = W(\theta)I_l \cos^{n_s} \Phi$$

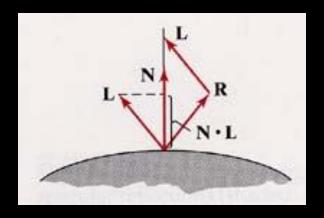
$$I_{l,spec} = \begin{cases} k_s I_l (V \cdot R)^{n_s}, & \text{if } V \cdot R > 0 \text{ and } N \cdot L > 0 \\ 0.0, & \text{if } V \cdot R \le 0 \text{ or } N \cdot L \le 0 \end{cases}$$
 (2-5)



#### Specular Reflection and Phong Model 3)



Modeling specular reflections (shaded area) with parameter n<sub>s</sub>

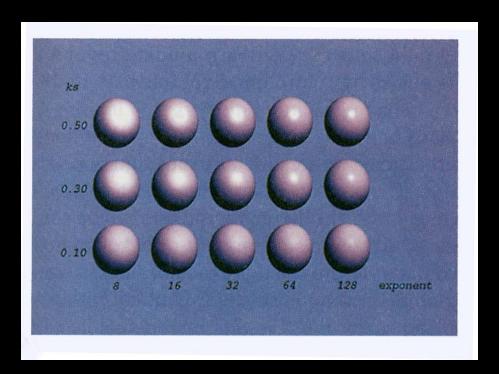


The projection of either L or R onto the direction of the normal vector N has a magnitude equal to N'L.

$$R = (2N \cdot L)N - L$$



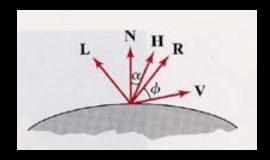
#### Specular Reflection and Phong Model



Specular reflections from a spherical surface for varying specular parameter values and a single light source



### 3) Specular Reflection and Phong Model



Halfway vector H along the bisector of the angle between L and V.

$$H = \frac{L + V}{\mid L + V \mid}$$



### Color Intensity Calculations

#### Phong Algorithm:

$$I = I_a + I_d + I_s$$

I<sub>a:</sub> ambient reflection

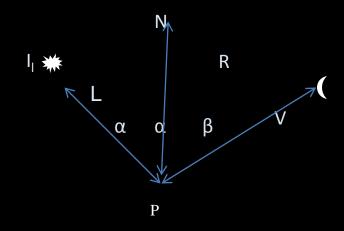
I<sub>d</sub>: diffuse reflection

I: specular reflection

$$I_a = k_a I_e$$

 $I_d = k_d I_1 \cos \alpha$  here  $\cos \alpha = (L \cdot N)$ 

 $I_s = k_s I_1 \cos^m \beta$  here  $\cos \beta = (R \cdot V)$ 



L, N, R, V are vectors

#### Multiple light sources:

$$I = I_a + \sum_{i=1}^{n} \frac{I_{d_i} + I_{s_i}}{r_i + C}$$

Here  $r_i$  is the distance to the light i and C is a constant

## Shading

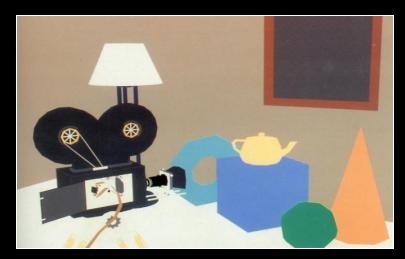
- Technique To Render Solid Surfaces
- **Determines How Surfaces Will Be Filled**
- Process for Computing the Color Intensity Value for Each Pixel Contained in a Polygon
- The Most Common Shading Techniques Are:

```
Flat Shading
                    glShadeModel (GL FLAT);
```

- Gouraud Shading glShadeModel (GL SMOOTH);
- Phong Shading (OpenGL by default doesn't do phong shading)



# Shading Techniques



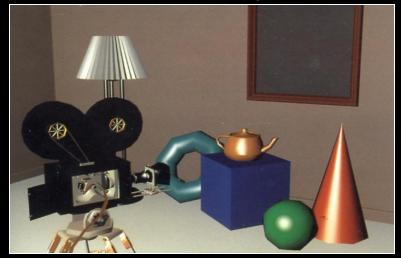
No Shading



**Gouraud Shading** 



Flat Shading



Phong Shading



## Flat Shading





## Flat Shading

- Constant Shading Or Flat Shading
- The Simplest and Cheapest and Therefore Fastest Shading Method
- Filling An Entire Polygon with One Color Intensity
- This Model is Only Valid (Realistic) If:
  - The light source is imagined to be at infinity
  - The viewer is at infinity
  - The polygon is not an approximation to a curved surface



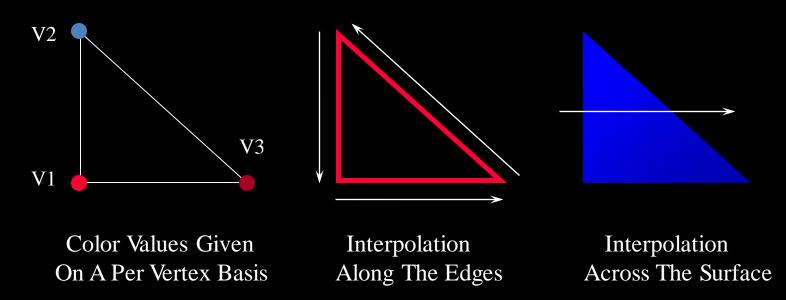
# Gouraud Shading





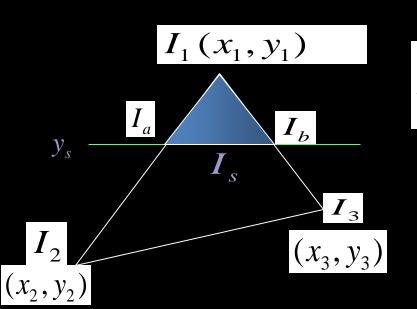
## Gouraud Shading

- Also called Smooth shading
- Color Interpolation Algorithm
  - Interpolation along polygon edges
  - Interpolation across polygon surfaces





### Gouraud Shading Illustration



$$I_a = \frac{1}{y_1 - y_2} \Big[ I_1(y_s - y_2) + I_2(y_1 - y_s) \Big]$$

$$I_b = \frac{1}{y_1 - y_3} \Big[ I_1(y_s - y_3) + I_3(y_1 - y_s) \Big]$$

$$I_{s} = \frac{1}{x_{b} - x_{a}} \left[ I_{a}(x_{b} - x_{s}) + I_{b}(x_{s} - x_{a}) \right]$$

$$y_s = j + 1$$

$$I_{a,j+1} = I_{a,j} + \Delta I_a$$

$$\Delta I_a = \frac{1}{y_1 - y_2} (I_1 - I_2)$$

$$I_{b,j+1} = I_{b,j} + \Delta I_b$$

$$\Delta I_b = \frac{1}{y_1 - y_3} (I_1 - I_3)$$

$$I_{a,j+1} = I_{a,j} + \Delta I_a$$

$$I_{b,j+1} = I_{b,j} + \Delta I_b$$

$$I_{i+1,s} = I_{i,s} + \Delta I_s$$

$$\Delta I_a = \frac{1}{y_1 - y_2} (I_1 - I_2)$$

$$\Delta I_b = \frac{1}{y_1 - y_3} (I_1 - I_3)$$

$$\Delta I_s = \frac{1}{x_b - x_a} (I_b - I_a)$$



## Phong Shading

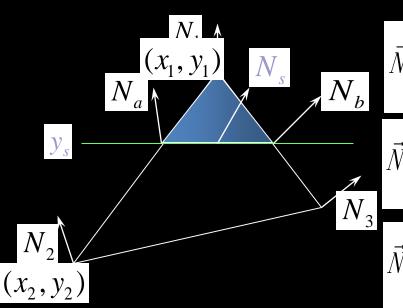




## Phong Shading

- An Interpolation Process Similar To Gouraud Shading
- Interpolation Over Normal Vector Instead of Vertex Color
  - Normal vectors tell about an objects orientation
  - Surface orientation is important in respect to the position of
    - The observer/viewer of a scene
    - The source of lighting
- Creates greater realism than Gouraud shading
  - Specially when combined with an illumination model
  - Usually implemented through application software
  - Very computing intense

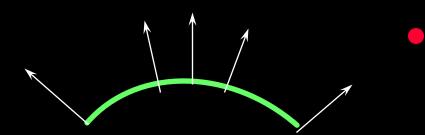
## Phong Shading Illustration



$$\vec{N}_{a} = \frac{1}{y_{1} - y_{2}} \left[ \vec{N}_{1} (y_{s} - y_{2}) + \vec{N}_{2} (y_{1} - y_{s}) \right]$$

$$\vec{N}_b = \frac{1}{y_1 - y_3} \left[ \vec{N}_1 (y_s - y_3) + \vec{N}_3 (y_1 - y_s) \right]$$

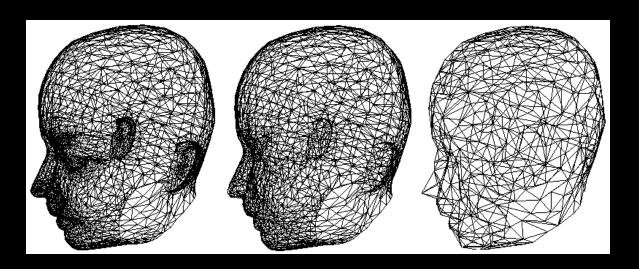
$$\vec{N}_{s} = \frac{1}{X_{b} - X_{a}} \left[ \vec{N}_{a} (X_{b} - X_{s}) + \vec{N}_{b} (X_{s} - X_{a}) \right]$$



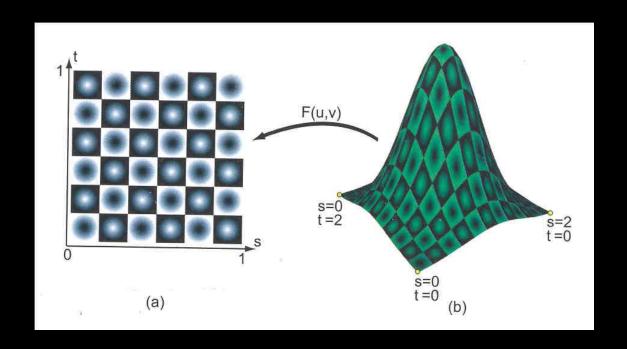


## Fill-Area Primitives

- Fill (Filled) Area
  - -- An area filled with some solid color or a pattern
- Surface Tessellation
  - -- Approximating a curved surface with polygon facets (a polygon mesh)



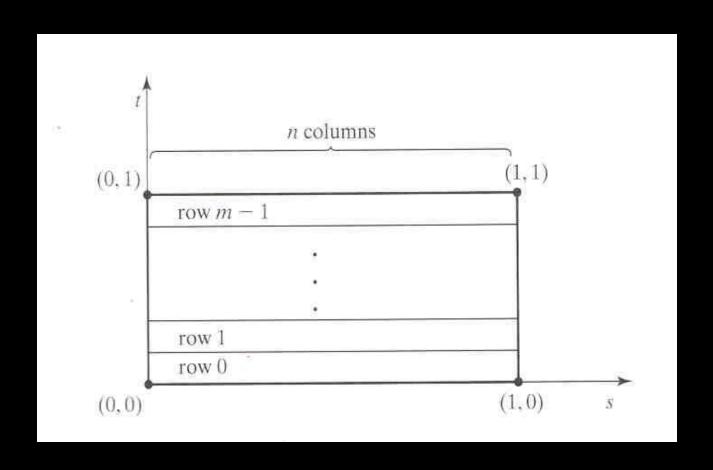




**Texture Mapping** 

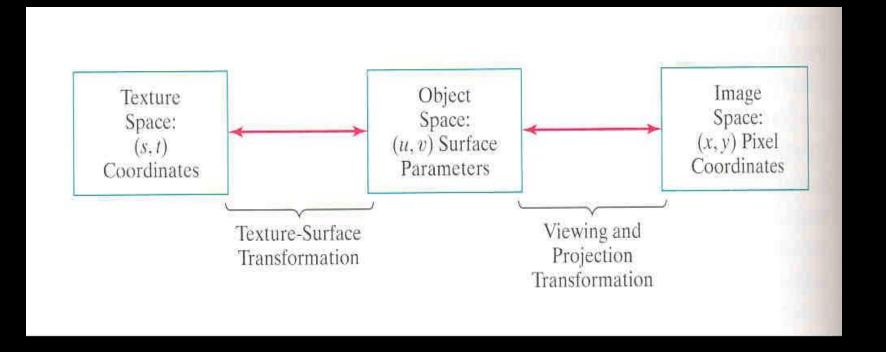
(a) Texture Image; (b) Texture-mapped object





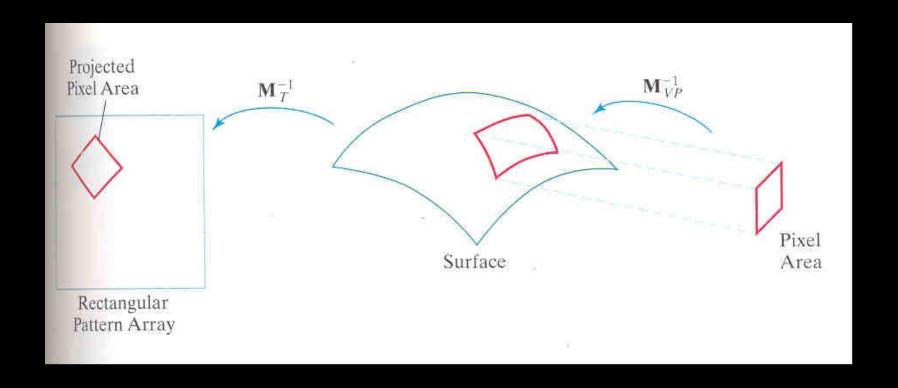
Texture Image





**Texture Mapping: Coordinates Transformations** 

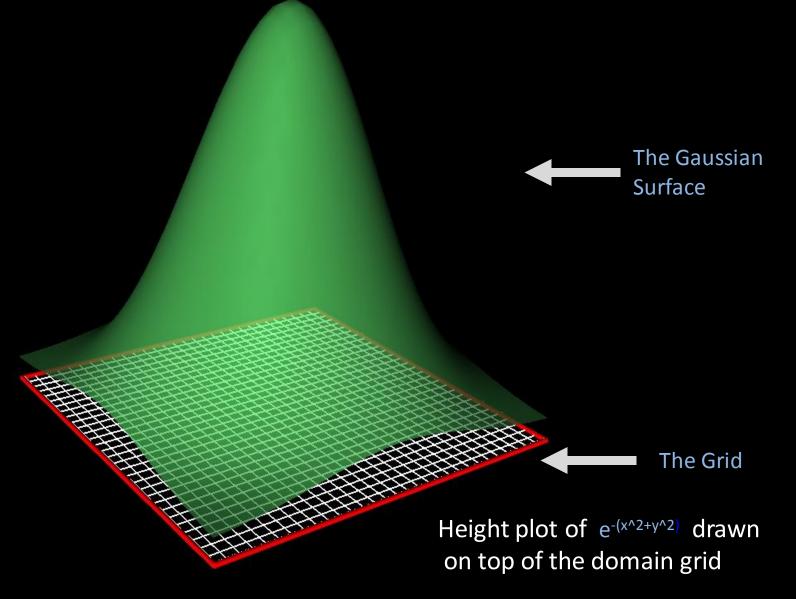




**Texture Mapping** 

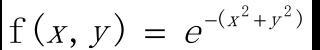


## Transparency and Blending





## Visualization Pipeline



Continuous data

**Data Acquisition** 

float data[N\_x,N\_y]

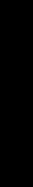
Discrete dataset

**Data Mapping** 

**Class Quad** 

Geometric object

Rendering



Displayed image